

Online Examinations (Even Sem/Part-I/Part-II Examinations 2020 - 2021)

Course Name - –General Topology

Course Code -MSCMC205

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Answer all the questions. Each question carry one mark.

9. 1. A topological space is said to be T_1 then T_1

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- contains cofinite topology
- contained in cofinite topology
- contains cocountable topology
- contained in cocountable topology

10. 2. The set $[0,1)$ in the set \mathbb{R} with usual topology is

Mark only one oval.

- open
- closed
- both open and closed
- neither open nor closed

11. 3. The upper limit topology is generated by which of the following form of an interval

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- $a, b)$
- $[a, b)$
- $(a, b]$
- $[a, b]$

12. 4. Which of the following subsets in \mathbb{R} is open in co-countable topology?

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- \mathbb{Q}
- $\mathbb{R} \setminus \mathbb{Q}$
- \mathbb{Z}
- Any finite set

13. 5. The number of points in a finite discrete topological space is always a/an

Mark only one oval.

- prime number
- even number
- odd number
- none of these

14. 6.

The set $[0,1]$ in the set \mathbb{N} with usual sub-space topology is

Mark only one oval.

- Open
- closed
- both open and closed
- neither open nor closed

15. 7. If A is a finite subset of \mathbb{R} then the derived set of A is

Mark only one oval.

- an empty set
- A
- \mathbb{R}
- none of these

16. 8. A topological space is said to be T_1 then T_1

Mark only one oval.

- contains cofinite topology
- contained in cofinite topology
- contains cocountable topology
- contained in cocountable topology

17. 9. If X is a Hausdorff space then the number of limits of a convergent sequence is

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- 0
- 1
- 2
- infinitely many

18. 10. A metric space is

Mark only one oval.

- T_1 but not T_2
- T_2 but not T_1
- both T_1 and T_2
- neither T_1 nor T_2

19. 11. If X is first countable and Hausdorff if every convergent sequence has

Mark only one oval.

- no limit
- unique limit
- finite number of limits
- infinite number of limits

20. 12. A regular space is always

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- T_1 but not T_2
- T_2 but not T_1
- may not be T_1 and T_2
- both T_1 and T_2

21. 13. A T_4 space is

Mark only one oval.

- T_1 but not normal
- normal but not T_1
- both T_1 and normal
- neither normal nor T_1

22. 14. A metric space is:

Mark only one oval.

- T1 but not normal
- normal but not T1
- both T1 and normal
- neither normal nor T1

23. 15. A space is T3 if

Mark only one oval.

- T1 but not regular
- regular but not T1
- both T1 and regular
- neither regular nor T1

24. 16. A T4 space is:

Mark only one oval.

- T2 but not normal
- normal but not T2
- both T2 and normal
- neither normal nor T2

25. 17. The Uryshon's lemma is applicable for two disjoint

Mark only one oval.

- closed sets
- open sets
- both open and closed sets
- None of these

26. 18. By applying the Uryshon's lemma, we get a..... map that separate disjoint closed sets.

Mark only one oval.

- open
- closed
- continuous
- identity

27. 19. The number of accumulation point of a finite subset in a topological space is always

Mark only one oval.

- zero
- one
- more than one
- None of these

28. 20. Every finite T_1 space is a

Mark only one oval.

- indiscrete space
- discrete space
- No such space exist
- Depends on the structure

29. 21. Every finite subset of \mathbb{R} with usual topology

Mark only one oval.

- open
- closed
- both open and closed
- neither open nor closed

30. 22. Let X be a discrete finite topological space with 4 elements. Then the number of open sets of X is

Mark only one oval.

- 2
- 4
- 8
- 16

31. 23. Let X be an indiscrete finite topological space with 5 elements. Then the number of open sets of X is

Mark only one oval.

2

4

25

32

32. 24. Let X be an indiscrete finite topological space with 5 elements. Then the number of subsets of X , which are neither open nor closed is

Mark only one oval.

0

2

10

30

33. 25.

Let $X = \left\{ \frac{1}{n} : n \in \mathbb{Z} \right\}$ with co-countable topology. Then the number of open subsets of

X is

Mark only one oval.

zero

finite

countable

uncountable

34. 26. Which of the following statement is true?

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- The upper limit topology is weaker than the usual topology
- The upper limit topology is stronger than the usual topology
- The upper limit topology is not comparable with the usual topology
- None

35. 27. The set of interior points of A is:

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- the largest open set containing A
- the smallest open set containing A
- the largest open set contained in A
- the smallest open set contained in A

36. 28.

$$\left\{1, \frac{1}{2}, \frac{1}{3}, \dots\right\}^{\circ} = ?$$

Mark only one oval.

 $[0,1]$

Option 1

 $\left\{0, 1, \frac{1}{2}, \frac{1}{3}, \dots\right\}$

Option 2

 $\{0\}$

Option 3

Empty set

37. 29. Closure set of the set Q of all rational number is:

Mark only one oval.

Q

R

$R \setminus Q$

Empty set

38. 30.

Let A and B be subsets of a topological space X . Then $(A \cup B)'$
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$$A' \cup B'$$

 Option 1

$$A' \cap B'$$

 Option 2

$$(A \cap B)'$$

 Option 3

$$(A \cup B)'$$

 Option 4

39. 31.

$$\overline{A \cup B}$$

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$$\subset \overline{A} \cup \overline{B}$$

Option 1

$$= \overline{A} \cup \overline{B}$$

Option 2

$$\supset \overline{A} \cup \overline{B}$$

Option 3

Other

40. 32. Every finite subset of a metric space X is:

Mark only one oval.

open

closed

both open and closed

neither open nor closed

41. 33. Any subspace of a second countable space is:

Mark only one oval.

- always second countable
- may not be first countable
- may not be second countable
- may not be separable

42. 34. Derived set of the set Q of all rational number is:

Mark only one oval.

- Q
- R
- $R \setminus Q$
- Empty set

43. 35. Which of the following topological space is not second countable under usual subspace topology?

Mark only one oval.

- Q
- R
- $R \setminus Q$
- None of these

44. 36. Which is a countable dense set of \mathbb{R} under usual topology?

Mark only one oval.

- Q
- $\mathbb{R} \setminus \mathbb{Q}$
- \mathbb{Z}
- \mathbb{R} has no countable dense subset

45. 37. The boundary of \mathbb{Q} is

Mark only one oval.

- \mathbb{Q}
- \mathbb{R}
- $\mathbb{R} \setminus \mathbb{Q}$
- Empty set

46. 38. The boundary of $(0,1]$ is

Mark only one oval.

- $(0, 1)$
- $\{0,1\}$
- $\{0\}$
- $\{1\}$

47. 39. Which of the following is not a neighbourhood of 0 under usual topology?

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(0, 1)

[-0,5,1)

[-1,1]

(-1, 1)

48. 40.

Let $f : X \rightarrow Y$ be a continuous map and V is a closed subset of Y . Then $f^{-1}(V)$

Mark only one oval.

open in X

closed in X

open in Y

closed in Y

49. 41. Which of the following space is homeomorphic to the space \mathbb{R} with usual topology?

Mark only one oval.

(0, 1)

[0, 1)

[0, 1]

\mathbb{Q}

50. 42.

Let $f: X \rightarrow Y$ be a continuous map and X and Y are homeomorphic via f . Then f^{-1} is

Mark only one oval.

- always continuous
- always discontinuous
- may not be continuous
- No conclusion

51. 43. Let X and Y are discrete topological spaces. Then X and Y are not homeomorphic

Mark only one oval.

- only if they have same cardinality
- if they have same cardinality
- if and only if they have same cardinality
- None of these

52. 44. Which of the following is not homeomorphic to the space $[0,1]$?

Mark only one oval.

- $(0,1)$
- $[2,3]$
- $[0, 1) \cup (0.5, 2]$
- None of these

53. 45. Which of the following subsets of \mathbb{R} is not compact?

Mark only one oval.

- a finite subset
- a bounded set containing all its limit points
- an open set which is closed
- a closed set which is bounded

54. 46.

A mapping $f : X \rightarrow Y$ is said to be an open map if

Mark only one oval.

- it sends an open set to an open set
- it sends an open set to entire Y set
- the inverse function sends an open set an open se
- the inverse function sends an open set to the entire X

55. 47. A function which maps every closed set to a closed set is called a/an

Mark only one oval.

- continuous map
- open map
- closed map
- None of these

56. 48. A function which maps every singleton set of a discrete topological space to an open sets in any topological space is called a/an

Mark only one oval.

- continuous map
- open map
- closed map
- clopen map

57. 49. Arbitrary product of compact set is

Mark only one oval.

- always compact
- compact if closed
- may be compact
- never compact

58. 50. If the inverse image of every open set is open then the mapping is called

Mark only one oval.

- continuous map
- open map
- closed map
- clopen map

59. 51. Which of the following set is compact in \mathbb{R} under usual topology?

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$[0, 1]$

$(0, 1)$

$[0, 1)$

$(0, 1]$

60. 52. If the identity function from a topological space (X, S) to (Y, T) is continuous, then

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T is finer than S

S is finer than T

T is not comparable to S

$T=S$

61. 53. Let F be a continuous function then the inverse image of every members of subbase is

Mark only one oval.

open

closed

both open and closed

neither open nor closed

62. 54. Let f be a function from a topological space to the unit interval $[0, 1]$. Then

Mark only one oval.

- f is always continuous
- f is an open map
- f is a closed map
- None of these

63. 55.

A function $f : X \rightarrow X$ is continuous then

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$$f(\bar{A}) = \overline{f(A)}$$

Option 1

$$f(\bar{A}) \subset \overline{f(A)}$$

Option 2

$$f(\bar{A}) \supset \overline{f(A)}$$

Option 3

$$f(\bar{A}) \cap \overline{f(A)} = \phi$$

Option 4

64. 56.

A function $f : X \rightarrow X$ is continuous then

Mark only one oval.

- f is continuous at every points in X
- f is not continuous at some points in X
- f⁻¹ is continuous at every point in X
- Other

65. 57.

The function $f(x) = x^2$ is an open map if the topology on R is

Mark only one oval.

- usual topological space
- lower-limit topological space
- upper-limit topological space
- None of these

66. 58. Every projection map on a product space is always

Mark only one oval.

- open but not continuous
- continuous but not open
- both open and continuous
- neither open nor continuous

67. 59. Which of the following is not topologically invariant?

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- accumulation point
- interior point
- boundary point
- None of these

68. 60. None of these

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$$f(A^\circ) = f(A)^\circ$$

Option 1

$$f(A^\circ) \subset f(A)^\circ$$

Option 2

$$f(A^\circ) \supset f(A)^\circ$$

Option 3

$$f(A^\circ) \cap f(A)^\circ = \emptyset$$

Option 4

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