

# Online Examinations (Even Sem/Part-I/Part-II Examinations 2020 - 2021)

Course Name - Applied Numerical Analysis

Course Code - MSCMC402

\* You can submit the form ONLY ONCE.

\* Fill the following information for further process.

\* Required

1. Email \*

---

2. Name of the Student \*

---

3. Enter Full Student Code \*

---

4. Enter Roll No \*

---

5. Enter Registration No \*

---

6. Enter Course Code \*

---

7. Enter Course Name \*

---

8. \*

*Mark only one oval.*

- Diploma in Pharmacy
- Bachelor of Pharmacy
- B.TECH.(CSE)
- B.TECH.(ECE)
- BCA
- B.SC.(CS)
- B.SC.(BT)
- B.SC.(ANCS)
- B.SC.(HN)
- B.Sc.(MM)
- B.A.(MW)
- BBA
- [B.COM](#)
- B.A.(JMC)
- BBA(HM)
- BBA(LLB)
- B.OPTOMETRY
- B.SC.(MB)
- B.SC.(MLT)
- B.SC.(MRIT)
- B.SC.(PA)
- LLB
- [B.SC\(IT\)-AI](#)
- B.SC.(MSJ)
- Bachelor of Physiotherapy
- B.SC.(AM)
- Dip.CSE
- Dip.ECE
- [DIP.EE](#)
- DIP.CE

- [DIP.ME](#)
- PGDHM
- MBA
- M.SC.(BT)
- M.TECH(CSE)
- LLM
- M.A.(JMC)
- M.A.(ENG)
- M.SC.(MATH)
- M.SC.(MB)
- MCA
- M.SC.(MSJ)
- M.SC.(AM)
- M.SC.CS)
- M.SC.(ANCS)
- M.SC.(MM)
- B.A.(Eng)

Answer all the questions. Each question carry one mark.

9. 1. The Jacobi's method is a method of solving a matrix equation on a matrix that has no zeroes along \_\_\_\_\_

*Mark only one oval.*

- Leading diagonal
- Last column
- Last row
- Non-leading diagonal

10. 2. How many assumptions are there in Jacobi's method?

*Mark only one oval.*

2

3

4

5

11. 3. Which of the following is another name for Jacobi's method?

*Mark only one oval.*

Displacement method

Simultaneous displacement method

Simultaneous method

Diagonal method

12. 4. The predictor-corrector method is a combination of \_\_\_\_\_

*Mark only one oval.*

midpoint and trapezoidal rules

backward Euler method and Trapezoidal rule

implicit and explicit methods

forward and backward Euler methods

13. 5. The two-level predictor-corrector method is \_\_\_\_\_

*Mark only one oval.*

- second-order accurate
- first-order accurate
- fourth-order accurate
- third-order accurate

14. 6. The stability of the two-level predictor-corrector method matches with that of the \_\_\_\_\_

*Mark only one oval.*

- midpoint rule
- trapezoidal rule
- backward Euler method
- forward Euler method

15. 7. To increase the order of accuracy, the multipoint method uses \_\_\_\_\_

*Mark only one oval.*

- highly stable two-level methods for prediction and correction
- higher-order two-level methods for prediction and correction
- additional points where data is already available
- additional points where data is interpolated

16. 8. Which of these is used by the Adam-Bashforth method?

*Mark only one oval.*

- Newton's method
- Frobenious covariant
- Frobenious norm
- Lagrange polynomial

17. 9. Which of these is correct for the multipoint method?

*Mark only one oval.*

- multiple derivatives at each time step
- only one evaluation of derivative per time step
- order of accuracy is restricted to four
- extremely unstable

18. 10. Runge-Kutta method has a truncation error, which is of the order

*Mark only one oval.*

  
$$h^2$$

Option 1

  
$$h^3$$

Option 2

  
$$h^4$$

Option 3

None of these

19. 11. The ordinary differential equations are solved numerically by?

*Mark only one oval.*

- Euler method
- Taylor method
- Runge-Kutta method
- All of these



20. 12.

For  $\frac{dy}{dx} = f(x, y), y(x_0) = y_0, y^{n+1}(x) = y_0 + \int_{x_0}^x f(x, y^n) dx$  is

Mark only one oval.

- Taylor's series method
- Picard's method
- Euler's method
- modified Euler's method

21. 13.

$\frac{dy}{dx} = x + y, y(0) = 1$ , then  $y(.1)$  given by Euler's method is

Mark only one oval.

- 1.1
- 1.2
- 1.4
- 2

22. 14. Runge-Kutta method of 4th order is used

Mark only one oval.

- to interpolate
- to solve a non-linear equation
- to evaluate a definite integral
- to solve differential equation

23. 15. Milne's corrector formula is

Mark only one oval.

$$y_{n+1} = y_n + \frac{h}{3}(y'_{n-1} + 4y'_n + 4y'_{n+1})$$

Option 1

$$y_{n+1} = y_{n-1} + \frac{h}{3}(y'_{n-1} + 4y'_n + y'_{n+1})$$

Option 2

$$y_{n+1} = y_n + \frac{4h}{3}(y'_{n-1} + 4y'_n + 4y'_{n+1})$$

Option 3

None of these

Option 4

24. 16. Which of these correctors does the second-order Runge-Kutta method use?

Mark only one oval.

Backward Euler corrector

Forward Euler corrector

Trapezoidal corrector

Midpoint rule corrector

25. 17. The first two steps of the fourth-order Runge-Kutta method finds the value at which point?

*Mark only one oval.*

- At the  $(n+0.5)$ th point
- At the  $(n+1)$ th point
- At the  $(n-1)$ th point
- At the  $n$ th point

26. 18. How many predictor and corrector steps does the fourth-order Runge-Kutta method use?

*Mark only one oval.*

- Three predictor and one corrector steps
- One predictor and three corrector steps
- Two predictor and two corrector steps
- One predictor and two corrector steps

27. 19. The final corrector of the fourth-order Runge-Kutta method uses \_\_\_\_\_

*Mark only one oval.*

- Midpoint rule
- Backward Euler method
- Simpson's rule
- Trapezoidal rule

28. 20. Which of these is a disadvantage of the Runge-Kutta method over the multipoint method?

*Mark only one oval.*

- Computational stability
- Computational cost
- Accuracy
- Convergence

29. 21. In which of the following method, we approximate the curve of solution by the tangent in each interval.

*Mark only one oval.*

- Picard's method
- Euler's method
- Newton's method
- Runge Kutta method

30. 22. The Neumann and Dirichlet boundary conditions are \_\_\_\_\_ and \_\_\_\_\_ in mathematical terms.

*Mark only one oval.*

- value specified, flux specified
- flux specified, value specified
- flux specified, gradient specified
- value specified, time specified

31. 23. Initial conditions are used for \_\_\_\_\_ problems.

*Mark only one oval.*

- time-dependent problems
- boundary value problems
- control volume problems
- finite difference problems

32. 24. Which of these is not a combination of Neumann and Dirichlet Boundary conditions?

*Mark only one oval.*

- Cauchy boundary conditions
- Wall boundary conditions
- Mixed boundary conditions
- Robin boundary conditions

33. 25. Under which condition does the inviscid steady flow become elliptic?

*Mark only one oval.*

- $M=1$
- $M<1$
- $M>1$
- $M>5$

34. 26. Which of these are correct for an elliptic equation?

*Mark only one oval.*

- There is no limited region of influence or domain of dependence
- There is no region of influence or domain of dependence
- There is no region of influence, but there exists a domain of dependence
- There is no domain of dependence, but there exists a region of influence

35. 27. Which of these statements is true for elliptic equations?

*Mark only one oval.*

- The solution can be approximated in some of the points
- The solution can be marched from some initial conditions
- The solution at all points must be carried out simultaneously
- The solution process should be carried out simultaneously for some region and then marching can be done

36. 28. The solution technique used to solve elliptic equations should \_\_\_\_\_

*Mark only one oval.*

- allow each point to be influenced by its boundary-side neighbours
- allow each point to be influenced by its west neighbour
- allow each point to be influenced by its east neighbour
- allow each point to be influenced by all its neighbours

37. 29. Which of these is the prototype elliptic equation?

*Mark only one oval.*

- Incompressible irrotational flow
- Incompressible rotational flow
- Compressible irrotational flow
- Compressible rotational flow

38. 30. Robin boundary condition is also known as

*Mark only one oval.*

- first-type boundary condition
- second type boundary condition
- zero type boundary condition
- third type boundary condition

39. 31.

$\partial y / \partial n = f$  is representation of

*Mark only one oval.*

- Neumann boundary condition
- Dirichlet boundary condition
- Cauchy boundary condition
- Robin boundary condition

40. 32. The error occurring while approximating the physical problem is called as

\_\_\_\_\_

*Mark only one oval.*

- Modelling error
- Physical error
- Mathematical order
- Iteration error

41. 33. Neumann boundary condition is known as

*Mark only one oval.*

- First type boundary condition
- Second type boundary condition
- Zero type boundary condition
- Third type boundary condition

42. 34. A boundary condition which specifies the value of the normal derivative of the function is a

*Mark only one oval.*

- Neumann boundary condition
- Neument boundary condition
- Neumornn boundary condition
- Deumann boundary condition



43. 35. When is the steady inviscid flow hyperbolic?

*Mark only one oval.*

- In supersonic flow regime
- Never
- Always
- In subsonic flow regime

44. 36. Which of these equations is hyperbolic?

*Mark only one oval.*

- Unsteady Navier-Stokes equation
- Steady Navier-Stokes equation
- Steady Euler equation
- Unsteady Euler equation

45. 37. In two dimension heat flow, the temperature along the normal to the xy-plane is

*Mark only one oval.*

- zero
- infinity
- finite
- 100K

46. 38. While solving a partial differential equation using a variable separable method, we equate the ratio to a constant which?

*Mark only one oval.*

- can be positive or negative integer or zero
- can be positive or negative rational number or zero
- must be a positive integer
- must be a negative integer

47. 39. When solving a 1-Dimensional wave equation using variable separable method, we get the solution if

*Mark only one oval.*

- k is positive
- k is negative
- k is 0
- k can be anything

48. 40. Which of these conditions is unstable?

*Mark only one oval.*

- Error is amplified in increasing iterations
- Error is decreasing in increasing iterations
- Error is amplified in decreasing iterations
- Error is maintained in increasing iterations

49. 41. The error due to the discretization of the partial differential equation is called as \_\_\_\_\_

*Mark only one oval.*

- round-off error
- discretization error
- truncation error
- iteration error

50. 42. \_\_\_\_\_ become significant after a repeated number of calculations.

*Mark only one oval.*

- Round-off errors
- Discretization errors
- Truncation errors
- Modelling errors

51. 43. Round-off errors are important in \_\_\_\_\_

*Mark only one oval.*

- modelling
- iterations
- discretization
- truncation

52. 44.

In a general second order linear partial differential equation with two independent variables

$$A \frac{\partial^2 u}{\partial x^2} + B \frac{\partial^2 u}{\partial x \partial y} + C \frac{\partial^2 u}{\partial y^2} + D = 0$$

where  $A$ ,  $B$ ,  $C$  are functions of  $x$  and  $y$ , and  $D$  is a function of  $x$ ,  $y$ ,  $\frac{\partial u}{\partial x}$ ,  $\frac{\partial u}{\partial y}$ , then the partial differential equation is parabolic if

Mark only one oval.

$$B^2 - 4AC < 0$$

Option 1

$$B^2 - 4AC > 0$$

Option 2

$$B^2 - 4AC = 0$$

Option 3

$$B^2 - 4AC \neq 0$$

Option 4

53. 45. Heat equation is

Mark only one oval.

$$\frac{\partial u}{\partial x} = c^2 \nabla^2 x^2$$

Option 1

$$\frac{\partial u}{\partial y} = \frac{1}{c^2} \nabla^2 t^2$$

Option 2

$$\frac{\partial u}{\partial t} = c^2 \nabla^2 u$$

Option 3

$$\frac{\partial u}{\partial t} = c^2 \nabla^2 y^2$$

Option 4

54. 46.

The solution of  $\frac{\partial u}{\partial x} = 36\frac{\partial u}{\partial t} + 10u$  if  $\frac{\partial u}{\partial x}(t=0) = 3e^{-2x}$  using the method of separation of variables, is

Mark only one oval.

$$-\frac{3}{2}e^{-2x}e^{-t/3}$$

Option 1

$$3e^xe^{-t/3}$$

Option 2

$$\frac{3}{2}e^{2x}e^{-t/3}$$

Option 3

$$3e^{-x}e^{-t/3}$$

Option 4

55. 47.

Solve the differential equation  $5\frac{\partial u}{\partial x} + 3\frac{\partial u}{\partial y} = 2u$  using the method of separation of variables if  $u(0, y) = 9e^{-5y}$ .

Mark only one oval.

$$9e^{\frac{17}{5}x} e^{-5y}$$

Option 1

$$9e^{\frac{13}{5}x} e^{-5y}$$

Option 2

$$9e^{-\frac{17}{5}x} e^{-5y}$$

Option 3

$$9e^{-\frac{13}{5}x} e^{-5y}$$

Option 4

56. 48.

Solve the differential equation  $x^2 \frac{\partial u}{\partial x} + y^2 \frac{\partial u}{\partial y} = u$  using the method of separation of

variables if  $u(0, y) = e^{\frac{2}{y}}$ .

Mark only one oval.

$$e^{-\frac{3}{y}} e^{\frac{2}{x}}$$

Option 1

$$e^{\frac{3}{y}} e^{\frac{2}{x}}$$

Option 2

$$e^{-\frac{3}{x}} e^{\frac{2}{y}}$$

Option 3

$$e^{\frac{3}{x}} e^{\frac{2}{y}}$$

Option 4



57. 49.

The solution of one dimensional heat equation  $\frac{\partial u}{\partial t} = \alpha^2 \frac{\partial^2 u}{\partial x^2}$  exists if

Mark only one oval.

- Both LHS & RHS are constants
- RHS is constant
- LHS is constant
- Always exists

58. 50.

The ends of a bar at  $x=0$  and  $x=L$  are kept at zero temperature. The bar is subjected to an initial temperature  $u(x,0) = \sin \frac{\pi x}{L}$ , the temperature distribution is given by

$$u(x,t) =$$

Mark only one oval.

$$\sin \frac{\pi x}{L} e^{-\frac{\alpha^2 x^2 t}{L}}$$

Option 1

$$\cos \frac{\pi x}{L} e^{-\frac{\alpha^2 x^2 t}{L}}$$

Option 2

$$\sin \frac{\pi x}{L} e^{\frac{\alpha^2 x^2 t}{L}}$$

Option 3

$$\cos \frac{\pi x}{L} e^{\frac{\alpha^2 x^2 t}{L}}$$

Option 4

59. 51. Which one of the following statements is true for all real symmetric matrices?

*Mark only one oval.*

- All the eigenvalues are real.
- All the eigenvalues are positive.
- All the eigenvalues are distinct.
- Sum of all the eigenvalues is zero.

60. 52. What is Eigen value?

*Mark only one oval.*

- A vector obtained from the coordinates
- A matrix determined from the algebraic equations
- A scalar associated with a given linear transformation
- It is the inverse of the transform

61. 53. The determinant of the matrix whose eigen values are 4, 2, 3 is given by, \_\_\_\_\_

*Mark only one oval.*

- 9
- 24
- 5
- 3

62. 54. Which of the following is not a necessary condition for a matrix, say  $A$ , to be diagonalizable?

*Mark only one oval.*

- A must have  $n$  linearly independent eigen vectors
- All the eigen values of  $A$  must be distinct
- $A$  can be an idempotent matrix
- $A$  must have  $n$  linearly dependent eigen vectors

63. 55. The LU method of factorization was introduced by the mathematician\_\_\_\_\_

*Mark only one oval.*

- Alan Tangot
- David Hilbert
- G. W. Leibniz
- Alex Grothendieck

64. 56. The trace and determinant of a  $2 \times 2$  matrix are known to be  $-2$  and  $-35$  respectively. Its Eigen values are

*Mark only one oval.*

- $-30$  and  $-5$
- $-37$  and  $-1$
- $-7$  and  $5$
- $17.5$  and  $-2$

65. 57. What is the other name for factorization method?

*Mark only one oval.*

- Doolittle's Method
- Lin Bairstow Method
- Muller's Method
- Decomposition Method

66. 58. The approximation of the derivative taken by the Crank-Nicolson scheme is the same as the \_\_\_\_\_ of spatial derivative.

*Mark only one oval.*

- second order forward difference approximation
- backward difference approximation
- forward difference approximation
- central difference approximation

67. 59. The Crank-Nicolson scheme is \_\_\_\_\_

*Mark only one oval.*

- fourth-order accurate
- third-order accurate
- second-order accurate
- first-order accurate

68. 60. The Adams-Moulton scheme comes under \_\_\_\_\_

*Mark only one oval.*

- Backward schemes
  - Forward schemes
  - Multipoint schemes
  - Runge-Kutta methods
- 

This content is neither created nor endorsed by Google.

Google Forms