

c) subset

d) complement of a set

(31) What is the base case for the inequality $7^n > n^3$, where $n = 3$?

a) $652 > 189$

b) $42 < 132$

c) $343 > 27$

d) $42 \leq 431$

(32) If $f(x-2) = 2x^2 + 3x - 5$ then $f(-1) =$

a) 0

b) 1

c) -1

d) 2

(33) The function $f: R \rightarrow R$ defined by $f(x) = x^2$, where R is the set of all real numbers. Then f is

a) surjective

b) injective

c) bijective

d) None of these

(34) If $\phi(x-2) = 2x^2 + 3x - 5$ then $\phi(x) =$

a) $2x^2 + 11x + 9$

b) $2x^2 - 11x + 9$

c) $x^2 + 11x + 9$

d) none

(35) Let a and b any two positive integers. Then

a) $\gcd(a, b) = \text{lcm}(a, b)$

b) $\gcd(a, b)\text{lcm}(a, b) = ab$

c) $\gcd(a, b)\text{lcm}(a, b) = 1$

d) $\gcd(a, b)\text{lcm}(a, b) = a + b$

(36) If $32 \equiv a \pmod{7}$. Then the value of a is-

a) 10

b) 11

c) 12

d) 13

(37) If $\gcd(a, b) = c$, then $\frac{a}{c}$ and $\frac{b}{c}$ are

a) both prime

b) both composite

c) relatively prime to each other

d) None of these

(38) The $\gcd(81, 135)$ is

a) 3

b) 9

c) 27

d) 81

(39) The $\text{lcm}(81, 135)$ is

a) 10935

b) 2187

c) 3645

d) 405

(40) The set of all real numbers under usual addition formed a group. Then the inverse of 2.36 is:

a) 2.36

b) -2.36

c) 2.4

d) -2.4

(41) The inverse of the element $-i$ in the multiplicative group $\{-1, 1, -i, i\}$, where $i^2 = -1$

a) i

b) $-i$

c) 1

d) -1

(42)

The identity element in the multiplicative group $\{-1, 1, -i, i\}$, where $i^2 = -1$

- a) i
- b) $-i$
- c) 1
- d) -1

(43) A monoid $(M, +)$ is called a group if

- a) $a + b = b + a = e$
- b) $a + (b + c) = (a + b) + c$
- c) $a + b = b + a \forall a, b \in M$
- d) $a + b \in M, \forall a, b \in M$

(44) A group of three element is:

- a) Always non-abelian
- b) Always abelian
- c) Sometimes abelian
- d) Always non-cyclic

(45) Let (G, \cdot) be a group and a has the inverse b then $ab^{-1} = ?$

- a) e
- b) a^2
- c) a
- d) b^2

(46) The number of elements in the group $(\mathbb{Z}_3, +)$ is

- a) 1
- b) 3
- c) 4
- d) 6

(47) The inverse of the element $[1]$ in the additive group \mathbb{Z}_3

- a) $[1]$
- b) $[2]$
- c) $[0]$
- d) None of these

(48) If \circ denotes permutation multiplication, then the value of $(1\ 2) \circ (1\ 4)$

- a) $(4\ 1\ 2)$
- b) $(1\ 4\ 2)$
- c) $(4\ 2)$
- d) $(4\ 1)$

(49) Let a be an element in a group with order 5. Then the value of a^{2020}

- a) a
- b) a^2
- c) a^4
- d) e

(50) Let a be an element in a group with order 10. Then the order of the element a^7

- a) 10
- b) 70
- c) 1
- d) Cannot be determined from the given data

(51) Which of the following is not an abelian group:

- a) $(\mathbb{Q}, +)$
- b) $(\mathbb{Z}, +)$
- c) $(\mathbb{Z}_3, +)$
- d) S_3

(52) A subgroup H of a group G is normal if for all $x \in G$ and $h \in H$

- a) $xhx^{-1} \in H$
- b) $xhx^{-1} \in G$
- c) $xh^{-1} \in H$
- d) $x^{-1}h \in H$

(53) In a Boolean algebra B , if $a + b = b$ then $a \cdot b = ?$

- a) a
- b) b
- c) a'
- d) Cannot be determined from the given data

(54) In a Boolean algebra B, $(a+b)' = ?$

- a) $a' + b'$
- b) $(a.b)'$
- c) $a'.b'$
- d) f

(55) In a Boolean algebra B, $0' = ?$

- a) f
- b) 0
- c) f'
- d) $0''$

(56) Arithmetical minus (-) is a binary operation on

- a) set of all integers
- b) set of positive integers
- c) set of negative integers
- d) none

(57) A groupoid (G, \circ) is a semi-group if for all a, b, c in G

- a) $a \circ b = b \circ a$
- b) $a \circ a = a$
- c) $(a \circ b) \circ c = (b \circ c) \circ a$
- d) $a \circ (b \circ c) = (a \circ b) \circ c$

(58) Which one of the following groupoid is semi-group

- a) $(Z, +)$
- b) $(Z, -)$
- c) $(R, +)$
- d) None

(59) In the group $Z_4 = \{[0], [1], [2], [3]\}$ under addition $[3] + [2] =$

- a) $[5]$
- b) $[0]$
- c) $[1]$
- d) $[2]$

(60) An edge whose two end vertices coincide is called

- a) ring
- b) adjacent edge
- c) loop
- d) none